Each of these is factorable Practice! Practice! Practice! x²+21x+20 x²-16x+48 (X+1)(X+150) x²+21x+38 x²-6x-55 22 X+19)(X+2) x²+21x+54 x²-11x+10 3 (X+3)(X+18) x²+21x+68 x²-11x+18 x²+21x+80 5 x²-5x-24 (x+1b)(x+5) x²+14x-15 x²-3x-28 26 (x+15)(x-1)x²+16x+28 x²-11x+30 (x+2)(x+14)x²+10x-39 x²-6x+5 8 (x+13)(x-3) $x^2 + 8x - 48$ x²-6x+8 29 (x+12)(x-4)x²+16x+55 x²-6x+9 10 (x+11)(x+5)x²+9x-10 $x^{2}+2x-8$ (x+10) (x-1) x²+7x-18 x²+4x-5 32 x²+11x+24 x²-19x-20 13 x²+11x+28 x²-16x+39 14 x²+x-30 15 x²-17x-38 $x^{2}+4x-5$ x²-15x-54 16 x²+2x-8 17 x²-13x-68 x²-9 x²-11x-80 18 $x^{2}+6x+8$ x²-16x+15 19 x²+6x+5 x²-12x-28 20 40 (X-14)X+2

| | Binomial factor 1 | Binomial factor 2 | Quadratic term | Linear term 1 | Linear term 2 | Constant | Simplified product |
|----|-------------------|-------------------|-------------------|------------------|------------------|----------|--------------------|
| 1 | (2x+1) | (x+2) | 2x2 | tlx | +2X | + 2 | 2x2+3x+2 |
| 2 | (2x+1) | (3x+2) | 6x2 | +3x | +4 | +2 | 6x2+7x+2 |
| 3 | (3x+1) | (3x+2) | 9x2 | +3x | +6K | +2 | 9x2+9x+2 |
| 4 | (2x-1) | (2x+1) | 4x2 | -2× | 45X | | $4x^2-1=4x^2-0$ |
| 5 | (2x+1) | (2x+1) | 4xz | +2x | +2x | 41 | 4x2+4x+1 |
| 6 | (2x-3) | (x+3) | 2x2 | -3x | +6x | -9 | 2x2+3x-9 |
| 7 | (2x+4) | (x+4) | 2x2 | +4X | 48 K | +16 | 5x2+15x+16 |
| 8 | (2x-3) | (x-2) | SXS | -3x | -4x | 46 | 2x2-7x+6 |
| 9 | (2x+1) | (x-5) | 2×2 | +1x | -10x | -5 | $2x^{2}-9x-5$ |
| 10 | (6x-1) | (3x+2) | 18X2 | -3x | 415X | -2 | 18 x 2 +9x -2 |
| 11 | (8x+1) | (5x+2) | 40x2 | tsx | +16x | +2 | 40x2+21x+2 |
| 12 | (6x-1) | (5x+2) | 30 x2 | -54 | 415X | -2 | 30x2+7x-2 |
| 13 | (7x-1) | (4x-3) | 28×2 | -4x | -5/X | +3 | 28x2-25x+3 |
| 14 | (9x+4) | (3x-2) | 27x2 | 4(5X | -18k | -8 | 27x2-6x-8 |
| 15 | (5x-2) | (5x+2) | 25×2 | -10X | +10% | -4 | 25x2-4=25x2+6x |
| 16 | (5x+1) | (10x+2) | SOKZ | +10x | +(0X | 45 | SOX2 +30X+2 |
| 17 | (3x-1) | (x-12) | 3x2 | -lx | -36X | +12 | 3x2-37x +12 |
| 18 | (3x+5) | (6x+7) | 18×5 | +30x | +21× | +35 | 18x2+41x+35 |
| 19 | (6x+7) | (8x+5) | 48x2 | +Sex | + 30x | 435 | 48x2+86x +35 |
| 20 | (8x-3) | (7x+5) | 56x2 | -212 | +40x | -15 | S6x2+19x-15 |

Examples

| Linear term 2 constant | | |
|--|--|--|
| +2x +8 | | |
| Factored form of the last two terms | | |
| +2(x+4) | | |
| $(x+4)(x+2) = x^2+4x+2x+8$ = x^2+6x+8 | | |
| Linear term 2 constant | | |
| +2x +8 | | |
| Factored form of the last two terms | | |
| +2(x+4) | | |
| $x^2 + 5x + 2x + 8 = x^2 + 7x + 8$ | | |
| this is NOT FACTORABLE | | |
| Linear term 2 constant | | |
| +1x -4 | | |
| Factored form of the last two terms | | |
| +1(x-4) | | |
| $(x-4)(x+1)=x^2-4x+1x-4$ | | |
| $= x^2 - 3x - 4$ | | |
| Linear term 2 constant | | |
| -5x -10 | | |
| Factored form of the last two terms | | |
| -5(x+2) | | |
| $(x+2)(x-5) = x^2+2x-5x-10$ = $x^2-3x-10$ | | |
| | | |

This method of factoring is called the AC method, we have skipped the "hard" step, we'll get to that step after you can takeit from the second step.

| Quadratic term | Linear term 1 | Linear term 2 | constant | |
|--------------------------|---|-------------------------------------|----------------|--|
| 2 | +6x | +3x | +18 | |
| Factored form of the fir | | Factored form of the last two terms | | |
| X(X+6 | | +3(x+6) | | |
| | common, then factor it OUT terms in a single parentheses | (X+6)(x | (+3) | |
| Quadratic term | Linear term 1 | Linear term 2 | constant | |
| x^2 | +4x | +6x | +24 | |
| Factored form of the fir | st two terms | Factored form of the | last two terms | |
| $\chi(\chi + 4$ | | +6(x+4 |) | |
| | n common, then factor it OUT terms in a single parentheses | (xtu)(x | (6) | |
| Quadratic term | Linear term 1 | Linear term 2 | constant | |
| x^2 | -6x | +8x | -48 | |
| Factored form of the fir | st two terms | Factored form of the | last two terms | |
| X (X-6 | | 8 (x- | 6) | |
| | n common, then factor it OUT terms in a single parentheses | (x-6) | (×+8) | |
| Quadratic term | Linear term 1 | Linear term 2 | constant | |
| x^2 | -6x | -6x | +36 | |
| Factored form of the fi | rst two terms | Factored form of the | last two terms | |
| X(x-6) | | -6(X-6 | | |
| | n common, then factor it OUT e terms in a single parentheses | (x-b) | (x-6) = (x-6) | |
| Quadratic term | Linear term 1 | Linear term 2 | constant | |
| \mathbf{x}^2 | +3x | -3x | -9 | |
| Factored form of the fi | rst two terms | Factored form of the | last two terms | |
| X(X+3 | | -3/x+ | 3) | |
| | n common, then factor it OUT e terms in a single parentheses | (x3 | 1(x+3) DOT | |

If not factorable state so

| .2 14. 22 | List AC x ² | List all of the ways to get AC x ² | List all the ways factors of AC x | |
|---|---|---|-----------------------------------|--|
| x^2 -14x-32 | >= 2 | (-4x)(+8x) (1x)(33x) | can add to Bx | |
| | -32x2 | (2x)(16x) | 14x ± 3(x | |
| | | | ±14x | |
| Quadratic term | Linear term 1 | Linear term 2 | constant | |
| Xz | -16X | + 2x | 32 | |
| Factored form of the fir | st two terms | Factored form of the last two terms | | |
| ×(x-18 | 6) | +2 (x-16) | | |
| Keep all of the rest of | common, then factor it OUT of the terms in a single ntheses | (x+b)(x+2) | | |
| $x^2-13x+40$ | List AC x ² | List all of the ways to get AC x ² | List all the ways factors of AC x | |
| X -13X+40 | 40x2 | (5x)(8x) (2x)(20x | can add to Bx | |
| | | (-5x1(-8x) (4x/10x) | +13x | |
| | | (1x)(40x) | ± 13 x ± 14 x ± 22 ± 4 (x | |
| Quadratic term | Linear term 1 | Linear term 2 | constant | |
| \times^2 | -5x | -8x +40 | | |
| Factored form of the fir | st two terms | Factored form of the last two terms | | |
| $\times (\chi - \varsigma)$ | | -8(x-5) | | |
| Keep all of the rest | common, then factor it OUT of the terms in a single ntheses | (x-8)(x-5) | | |
| $x^2 + 3x - 54$ | List AC x ² | List all of the ways to get AC x ² | List all the ways factors of AC x | |
| X 13X 34 | -54x2 | (-2x) (27x) | can add to Bx | |
| | | (3x)(18X) | + 25x + 3x | |
| | | (-6x)(9x) | -1 15X | |
| Quadratic term | Linear term 1 | Linear term 2 | constant | |
| YZ | -bx | t9x - | 54 | |
| Factored form of the first two terms X (X-6) | | Factored form of the last two terms | | |
| | | 9(x-b) | | |
| Keep all of the rest | common, then factor it OUT of the terms in a single ntheses | (x-6) (x+9) | | |

| x^2 -12x+35 | List AC x ² 35 x ² | List all of the ways to get AC x ² | List all the ways factors of AC x ² can add to Bx | |
|---|--|---|--|--|
| | 35 X | | +12x | |
| | | $(1^{\times})(32^{\times})$ | ±36x | |
| | | Linear term 2 | constant | |
| Quadratic term | Linear term 1 | 900 | | |
| XS | +54 | + +X | +35 | |
| Factored form of the first | two terms | Factored form of the last two terms | | |
| X(X+S) | | +7(x+5) | | |
| IF there is a BINOMIAL in co Keep all of the rest of parent | the terms in a single | (X+S)(X+7) | | |
| $x^2 + 22x - 48$ | List AC x ² | List all of the ways to get AC x ² | | |
| X TZZX-40 | -43 X2 | (1x1(48x) (6x (8x) | can add to Bx | |
| | | (2) (24) | ±47x ±8x ±22x ±2x | |
| | | (3x)(16x) | + 13 X | |
| Quadratic term | Linear term 1 | Linear term 2 | constant | |
| X2 | +24X | > . | -48 | |
| Factored form of the first two terms | | Factored form of the last two terms | | |
| x(X+2 | 4) | -2 (X 724) | | |
| Keep all of the rest of | ommon, then factor it OUT f the terms in a single theses | (x-2) (x-2) | | |
| x ² -20x+60 | List AC x ² | List all of the ways to get AC x ² | List all the ways factors of AC x ² | |
| X -20X+00 | 60 K | 1460 K SK BK | can add to Bx | |
| | | 2×30× 3×10× | ± 32x ± 19x ± 11) | |
| | | 4x (5x | I SEN I LIV | |
| Quadratic term | Linear term 1 | Linear term 2 | constant | |
| Factored form of the firs | t two terms | Factored form of the last two terms | | |
| | | not foc | to-able. | |
| Keep all of the rest o | ommon, then factor it OUT f the terms in a single theses | | | |